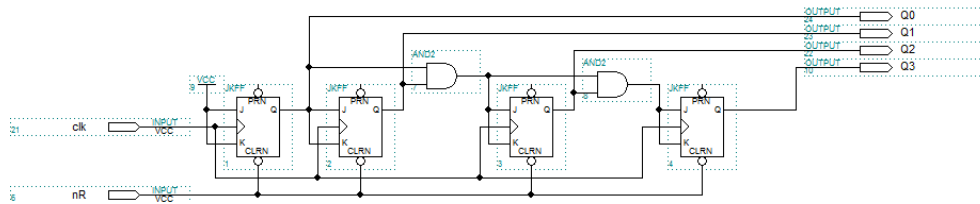


SYNCHROUS COUNTERS

The binary cells of such counter switch simultaneously on the same clock pulse. Its advantages are higher working frequency and no false codes at the outputs.

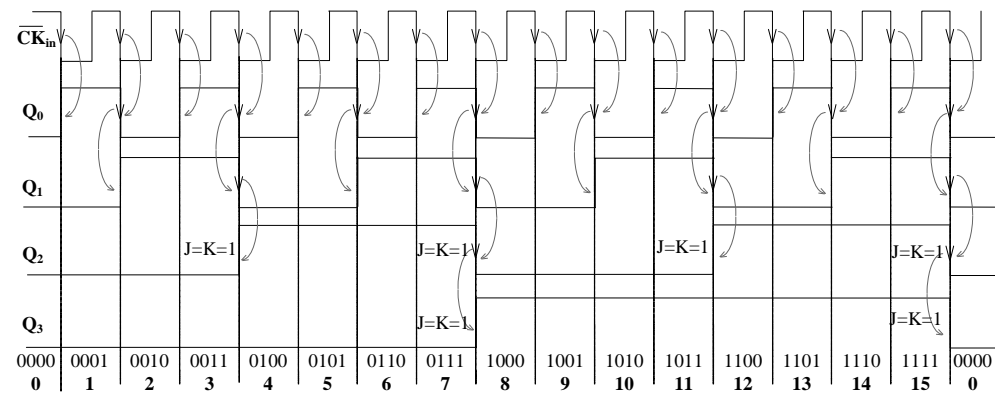
1. Series synchronous binary counter

The logic diagram of this counter is presented in the figure below:



The JK flip-flop switches its logic state when $J=K=$ logic 1. The AND gates realize the detection of the switching moments. Each cell must switch when all the previous cells are in logic 1. Thus:

- JKFF₁ must switch for each clock pulse applied at its clock input. Its inputs are connected at V_{CC} (logic 1).
- JKFF₂ switches every 2 clock pulses, namely only when Q_0 is logic 1. Therefore we will connect $J_1=K_1=Q_0$.
- JKFF₃ switches every 4 clock pulses, namely only when Q_0 and Q_1 are logic 1. Therefore we will connect $J_1=K_1=Q_0 \cdot Q_1$.
- JKFF₄ switches every 8 clock pulses, namely only when Q_0 and Q_1 and Q_2 are logic 1. Therefore we will connect $J_1=K_1=Q_0 \cdot Q_1 \cdot Q_2$.

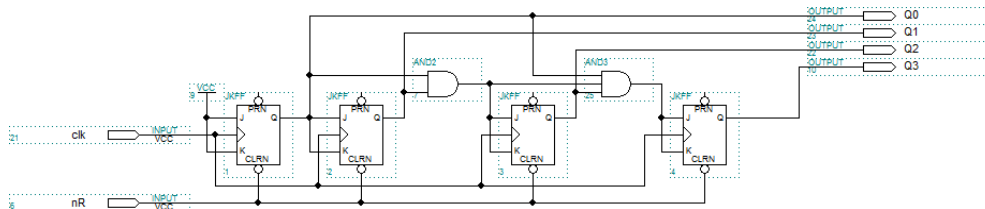


The maximum working frequency of a synchronous counter is limited only by the cells switching time and by the AND gates delay time (in the

case above $2 \times t_p$).

2. Parallel synchronous binary counter

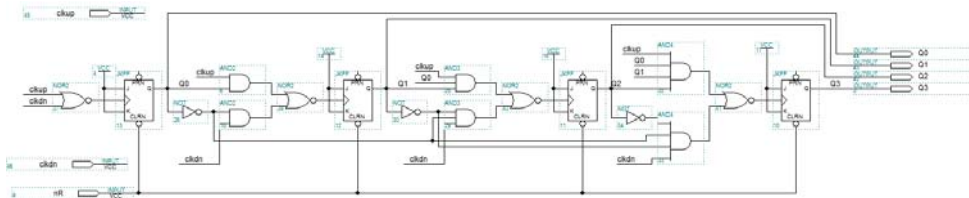
A supplementary increase of speed can be obtained if the AND gates, instead of being cascaded, have the inputs connected directly to the JKFF outputs (next figure).



In this case the maximum working frequency is limited only by the FF switching time and by the delay time of a single gate. It is the fastest counter for a given architecture, but it has the disadvantage that the FF outputs are loaded supplementary with every new stage. Each extra input connected increase the delay time of the FF, reducing the maximum working frequency

3. Reversible synchronous counter

The synchronous counters are built as reversible counters. The logic schematic of such a counter is shown in the following figure:



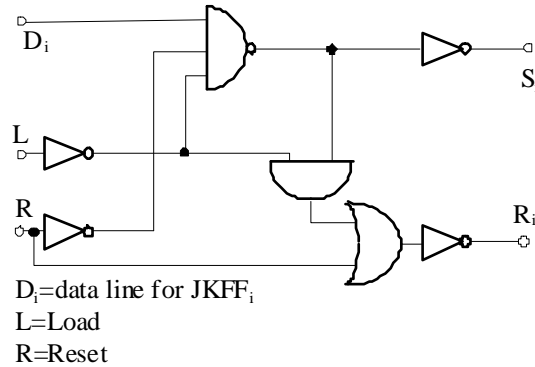
Each JKFF has its J and K inputs connected to logic 1. The clock is routed to the clock inputs through some kind of multiplexers. The counter has 2 clock signals: if it has clock pulse on the *clkup* input it will count up and if it has clock pulse on the *clkdn* input it counts down. While counting in one sense the other clock input must be in logic 0. The upper AND gates will be opened for clock *clkup* only if Q_0 is logic 1, Q_1 and Q_0 are logic 1 or Q_2 and Q_1 and Q_2 are logic 1. In this case the lower AND gates have the outputs in logic 0 because they are driven by the negated outputs. The counter will count up. The lower gates will be opened for the clock *clkdn*

LAB no. 11.

only if Q_0 is logic 0, Q_1 and Q_0 are logic 0 or Q_2 and Q_1 and Q_2 are logic 0. The counter counts down in this case.

- The counter can be transformed into a presetable one using the S and R inputs. The following schematic can be used for each cell in the counter, adding the common input L (LOAD) and separate data inputs D_0, D_1, D_2, D_3 .

Using the parallel load we can realize direct or reverse modulo p counters.

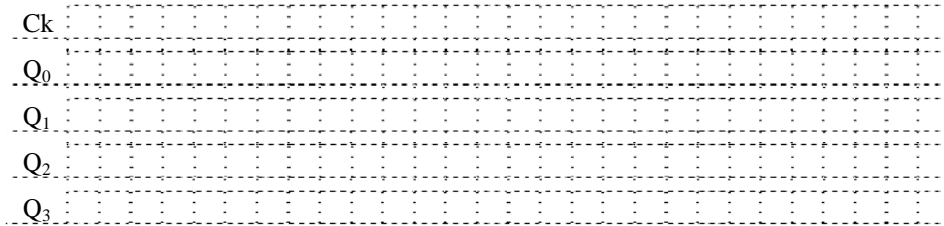


4. Lab works

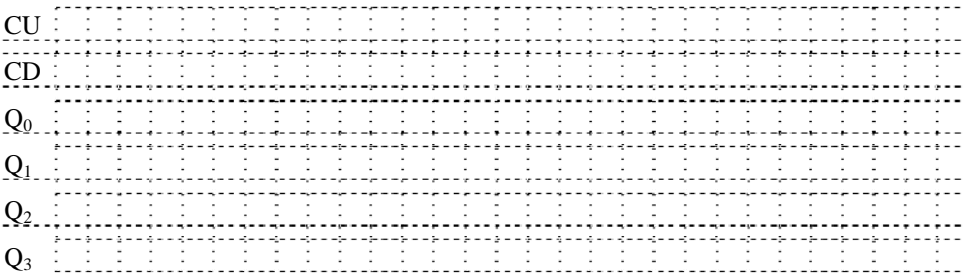
Complete the following Lab sheet following the indications on it.

LAB SHEET

1. Input the series synchronous binary counter in MaxPlusII and simulate the circuit. Draw the resulted waveforms on the grid below. Write down the delay times and the logic states on the waveforms. Compare the results with the counter's truth table. How are delayed the transitions on the outputs compared with the asynchronous counter?



2. Input the synchronous reversible counter in MaxPlusII. Simulate the circuit for a complete direct counting cycle and a complete reverse counting cycle. Draw the resulted waveforms on the grid below and write down the delays on the outputs and the logic states.



3. Synthesize a synchronous BCD counter using the VX diagrams method.

N _z	t _n				t _{n+1}				J ₃	K ₃	J ₂	K ₂	J ₁	K ₁	J ₀	K ₀
	Q ₃	Q ₂	Q ₁	Q ₀	Q ₃	Q ₂	Q ₁	Q ₀								
0	0	0	0	0												
1	0	0	0	1												
2	0	0	1	0												
3	0	0	1	1												
4	0	1	0	0												
5	0	1	0	1												
6	0	1	1	0												
7	0	1	1	1												
8	1	0	0	0												
9	1	0	0	1												

